

Stereotypes, Inequality, and Identity Choice

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Section 1. Motivating Examples

*“There are many situations
in which **identity choice** and **group
stereotypes** operate in tandem.”*

Passing

Examples of Identity Choice: “Redemption of Ham”



MODESTO BROCOS: *Redenção de Cã*, 1895.
Óleo sobre tela, 199 x 166 cm.
Rio de Janeiro, Museu Nacional de Belas Artes.

Examples of Identity Choice: Anitta (The Guardian, 2013)

Brazilian funk star Anitta sparks new debate about skin whitening and race

Anti-discrimination campaigners say singer appears paler since signing record deal



i Anitta pictured when she was a relative unknown and on stage in Brazil last month. Photograph: Mauricio Santana/Corbis

Brazil's latest funk sensation, Anitta, has won millions of fans by taking the favela sound into the mainstream, but she is now front and centre in a resurgent debate about skin colour.

Passing

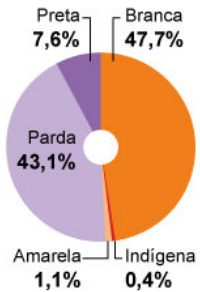
Examples of Identity Choice: Neymar (Brazil Football Star)



Passing

Examples of Identity Choice: Sensus 2010 in Brazil

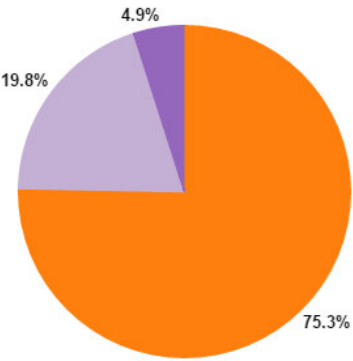
Como é no Brasil



Fonte: Censo 2010

Senadores

Atuais senadores brasileiros



Selecione uma categoria

Examples of Identity Choice: “Zainichi”

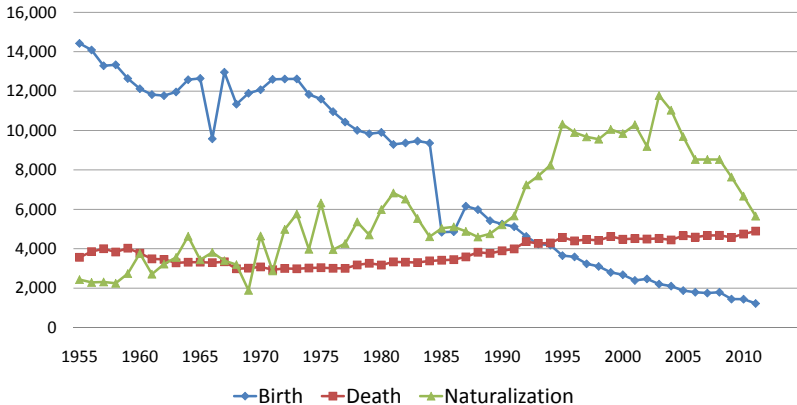
- Korean descendants (about one million) in Japan, from forced laborers (Fukuoka, 1998)
 - About 10,000 out of 600,000 descendants holding Korean Nationality **choose to be naturalized** every year.
 - Giving up their Korean names!
 - Concealing their Korean ethnicity!

Passing

Examples of Identity Choice: “Zainichi”

- The naturalization trend of “Zainichi” in Japan:

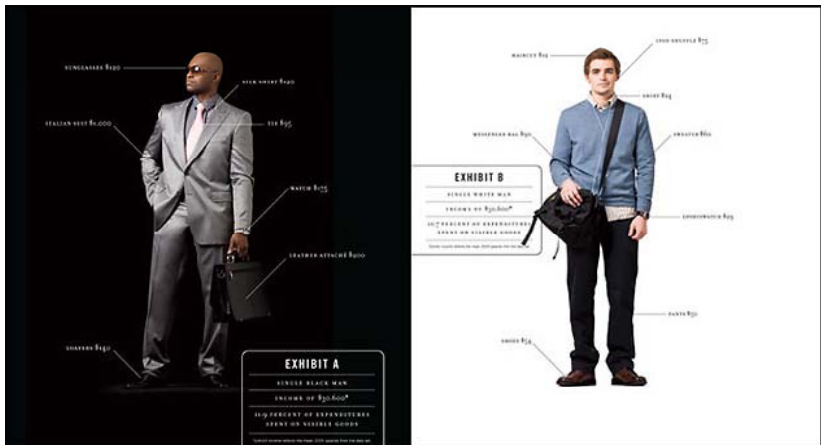
**Number of Birth, Death and Naturalization of Koreans in Japan
(1955~2011)**



Partial Passing

Examples of Identity Choice: Style/Attitude/Language

- “Bling”: **Conspicuous Consumption** among the Blacks (Charles et al., 2009)



Examples of Identity Choice: Style/Attitude/Language

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- So called “Partial Passing” practices

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- As a result, human capital cost distributions between groups **endogenously diverge...**
- Inequality deriving from stereotyping of *endogenously constructed* social groups is **at least as great as the inequality** that can emerge between *exogenously given* groups.

Section 2. Model with the Identity Choice

Workers' Affective/Expressive Behavior

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- The cost of obtaining a skill is c with its CDF $G(c)$.
- We impose that c and k are **independently distributed**:
(unlike Spence 1973.)

[Also, we assume Identity Cost Symmetry: $H(k)=1-H(-k)$.]

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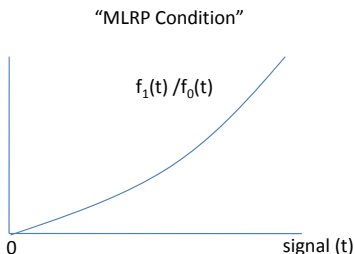
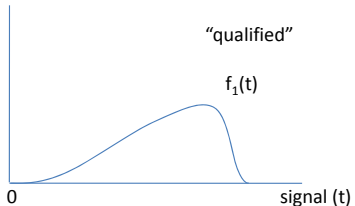
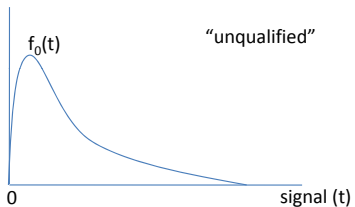
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- Skill acquisition e is not fully identified.
- Employers pay wages **based on group identity and a noisy signal $\mathbf{t} \in \mathbf{R}^+$** distributed conditional on e .
- PDF of the signal conditional on e is $\mathbf{f}_e(\mathbf{t})$ and its CDF is $\mathbf{F}_e(\mathbf{t})$.

Job Market Signals and MLRP Condition

- Employers' noisy information about agents' skills:



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- Assume that the wage is proportional to the expected skill level:

$$W(\pi, t) = w \cdot \rho(\pi, t), \text{ for some } w > 0. \quad (2)$$

Workers' Payoffs

- Given this framework, the expected reward from acquiring skill level e is denoted by $V_e(\pi)$ for any $e \in \{0, 1\}$:

$$V_1(\pi) = \int_0^1 f_1(t) W(\pi, t) dt, \quad (3)$$

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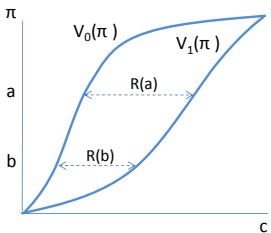
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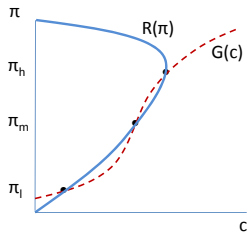
- $R(0) = R(1) = 0$ and $R''(\pi) < 0$: $R(\pi)$ is concave.

Phenotypic Stereotyping Equilibria (PSE)

- Panel A displays skill acquisition incentives $R(\pi)$.

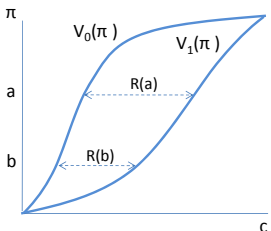
Panel A. Expected Rewards Given π 

Panel B. Multiplicity of Equilibria

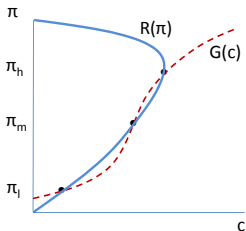


Phenotypic Stereotyping Equilibria (PSE)

- Panel A displays skill acquisition incentives $R(\pi)$.
- Panel B shows that multiple equilibria (Ψ_{CL}) create the possibility of **Phenotypic Stereotyping (PS)**: though groups are equally endowed, they fare unequally in the equilibrium.

Panel A. Expected Rewards Given π 

Panel B. Multiplicity of Equilibria



The Logic of Self-Confirming Beliefs:

Employer's belief
about the group
on average = π



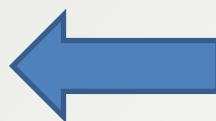
Employer's
treatment of
agents in group =
 $W(\pi, t)$



So, belief π confirmed
in Equilibrium iff
 $\pi = \pi' = G(R(\pi))$



Resulting in mean
group behavior π' ,
where $\pi' = G(R(\pi))$



Incentives for
agents in group to
become skilled =
 $R(\pi)$

Identity Choice Behavior

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- A worker with cost c , in a group believed to be investing at rate π , has the payoff:

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- Define a function $\Delta U(\pi_A, \pi_B; c)$ as **the payoff difference between a A -type worker and a B -type worker** given their skill acquisition cost level c :

$$\Delta U(\pi_A, \pi_B; c) \equiv U(\pi_A, c) - U(\pi_B, c). \quad (7)$$

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- An agent with the cost set (c, k) chooses affective behavior $i = A$ **if and only if** $\Delta U(\pi_A, \pi_B; c) > k$.
- Otherwise, chooses affective behavior $i = B$.

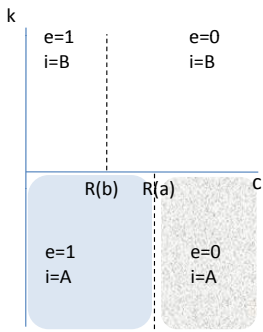
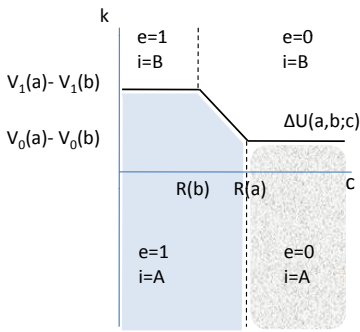
Positive Selection

- Use **a** and **b** instead of π_A and π_B for notation simplicity

Endogenous Group Membership

Positive Selection

- Use **a** and **b** instead of π_A and π_B for notation simplicity
- If group reputation and skill incentives are **complements** (i.e. $R(a) > R(b)$ given $a > b$), the low skill acquisition cost agents **disproportionately** elect to join group A.

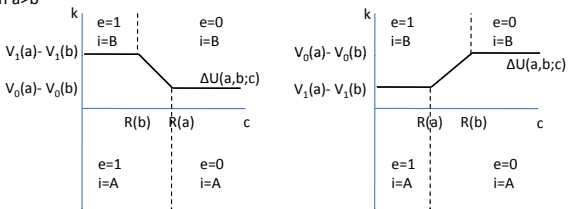
With Immutability AssumptionWith Positive Selection

Endogenous Group Membership

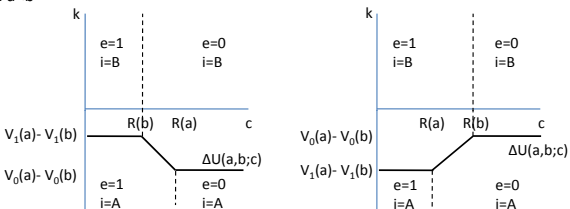
Identity Choice Behaviors in "Four" Distinct Cases

- Recall that $i = A$ if and only if $k < \Delta U(a, b; c)$:

Panel A. Case with $a > b$



Panel B. Case with $a < b$



We can now calculate the fraction of each group that will have acquired the skill when perceived identities are endogenous and when employers are anticipated to hold the beliefs (π_A, π_B) :

Hence, given that c and k are independent, the fraction of agents choosing ($i=A$) is given by:

$$\int_0^{\infty} H(\Delta U(\pi_A, \pi_B; c)) dG(c)$$

And, the fraction of workers choosing ($i=A$) and ($e=1$) is given by:

$$\int_0^{R(\pi_A)} H(\Delta U(\pi_A, \pi_B; c)) dG(c)$$

Likewise, the fraction of agents choosing ($i=B$) is given by (using affective symmetry):

$$\begin{aligned} \int_0^{\infty} [1 - H(\Delta U(\pi_A, \pi_B; c))] dG(c) \\ = \int_0^{\infty} [H(\Delta U(\pi_B, \pi_A; c))] dG(c) \end{aligned}$$

And, the fraction of workers choosing ($i=B$) and ($e=1$) is given by:

$$\int_0^{R(\pi_B)} [H(\Delta U(\pi_B, \pi_A; c))] dG(c)$$

- Given the employer belief about human capital investment rates (π_A, π_B) , the actual investment rates for the affective groups are denoted by $\phi(\pi_A, \pi_B)$ and $\phi(\pi_B, \pi_A)$.

where the function $\phi(x, y)$ is defined as follows:

$$\phi(x, y) \equiv \frac{\int_0^{R(x)} H(\Delta U(x, y; c)) dG(c)}{\int_0^{\infty} [H(\Delta U(x, y; c))] dG(c)}$$

- An equilibrium with affective stereotyping (ASE) is defined as a pair of investment rates for the affective groups $(\pi_A^*, \pi_B^*) \in [0, 1]^2$ such that $\pi_A^* = \phi(\pi_A^*, \pi_B^*)$ and $\pi_B^* = \phi(\pi_B^*, \pi_A^*)$.

The set of all such equilibria is denoted by Ω_{KL} .

Note that:

$$1. \pi^* \in \Omega_{CL} \iff (\pi^*, \pi^*) \in \bar{\Omega}_{KL}$$

(i.e., every PSE corresponds to trivial ASE where differences in affect are uninformative.)

$$2. (\pi_A, \pi_B) \in \Omega_{KL} \text{ and } \pi_A > \pi_B \text{ only if } R(\pi_A) > R(\pi_B)$$

(i.e., non-trivial ASE is possible only if improved reputation and HC investment are complements)

Section 3. Characteristics of Endogenous Stereotyping Equilibria (ESE)

Definition of $\Gamma(a)$ and $\Gamma(b)$

- Given the employers' prior belief about human capital investment rates (a, b) , **the actual investment rates** for the affective groups are denoted by $\phi(a; b)$ and $\phi(b; a)$ for each.

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- Let us define correspondences $\Gamma(b)$ and $\Gamma(a)$ (Refer to the $\phi(a; b)$ curves) :

$$\Gamma(b) = \{a : a = \phi(a; b)\}$$

$$\Gamma(a) = \{b : b = \phi(b; a)\}$$

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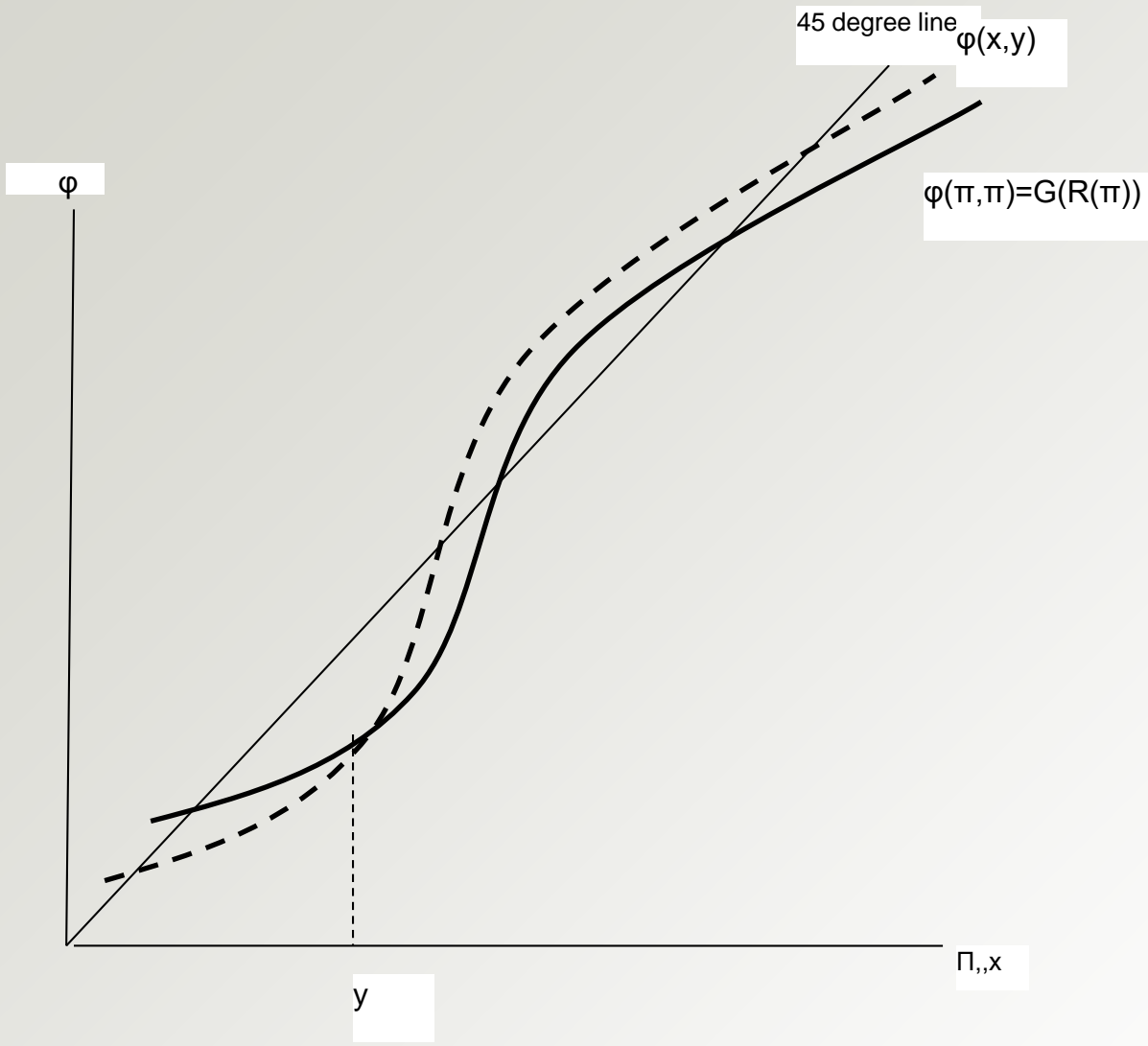
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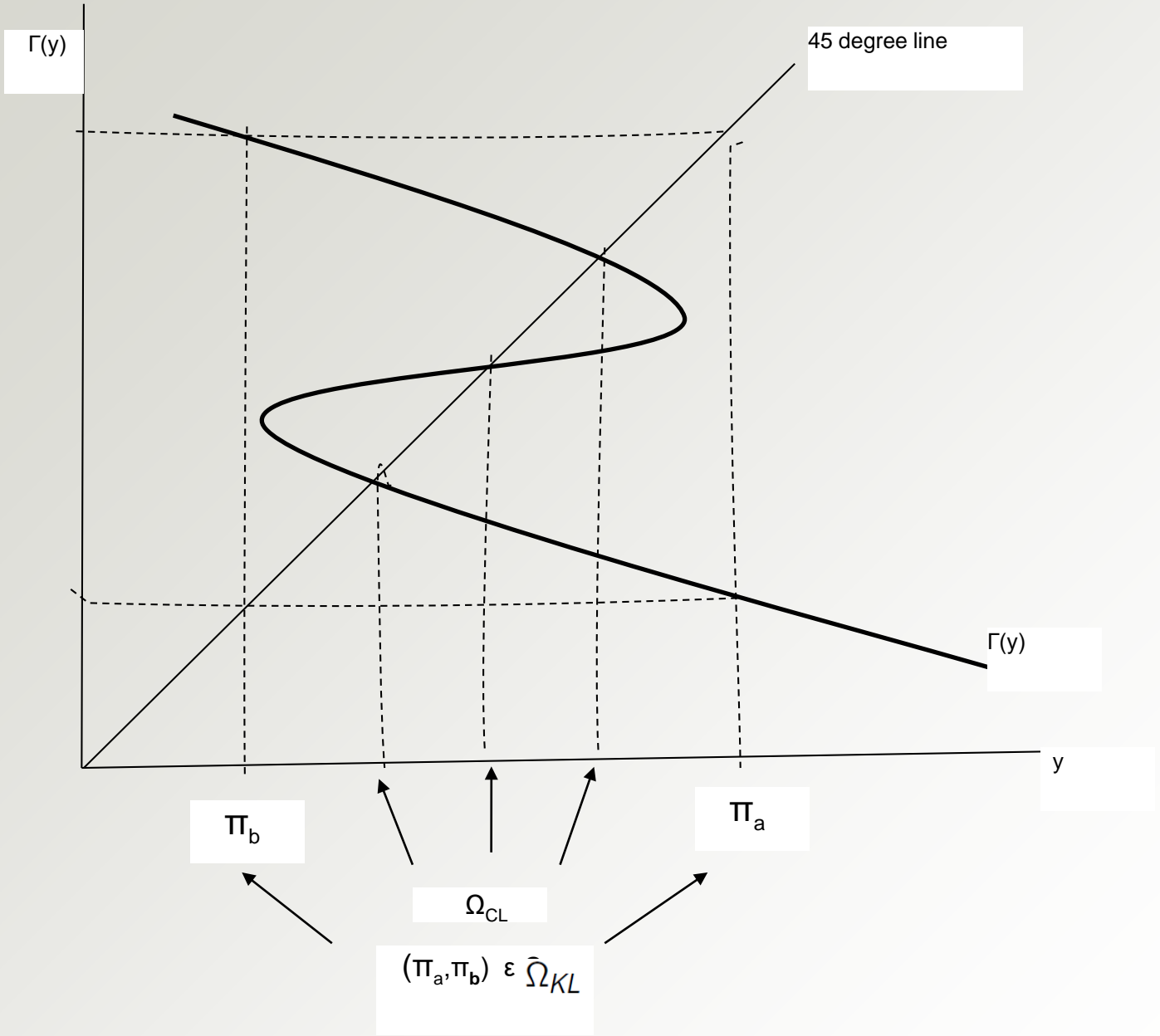
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- The set of ESE can be expressed as

$$\Omega_{KL} = \{(a, b) : a \in \Gamma(b) \text{ and } b \in \Gamma(a)\}.$$

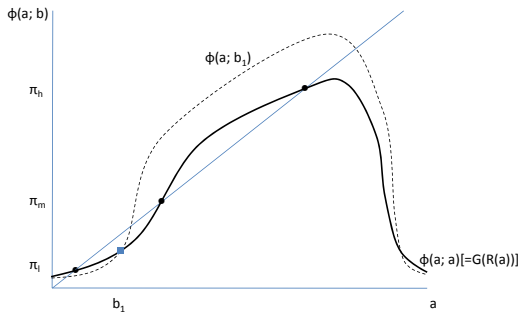




Existence of ESE

Locations of $\Gamma(b_1)^l$, $\Gamma(b_1)^m$ and $\Gamma(b_1)^h$

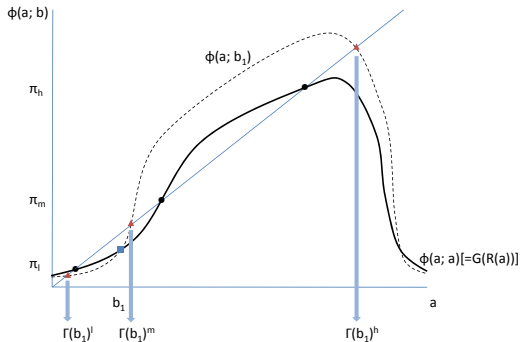
- Search for correspondences:



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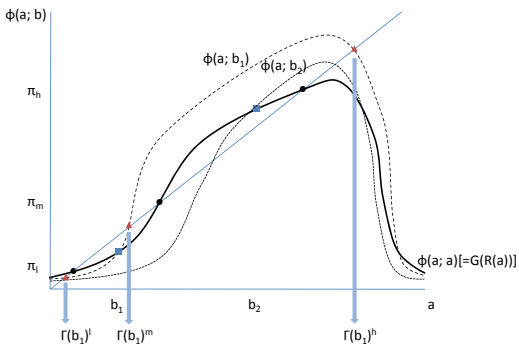
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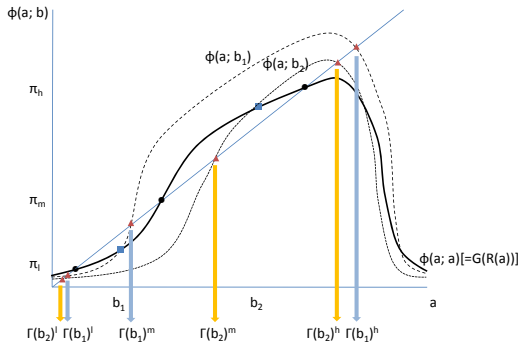
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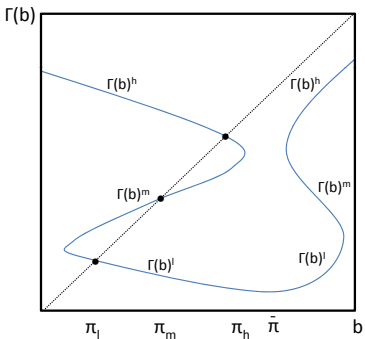
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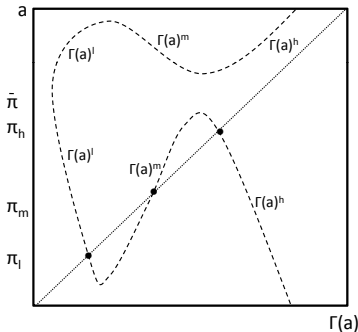
Correspondence Curves

Then, we have the “*correspondence curves*”, $\Gamma(b)$ and $\Gamma(a)$:

Panel A. Correspondence Curve $\Gamma(b)$

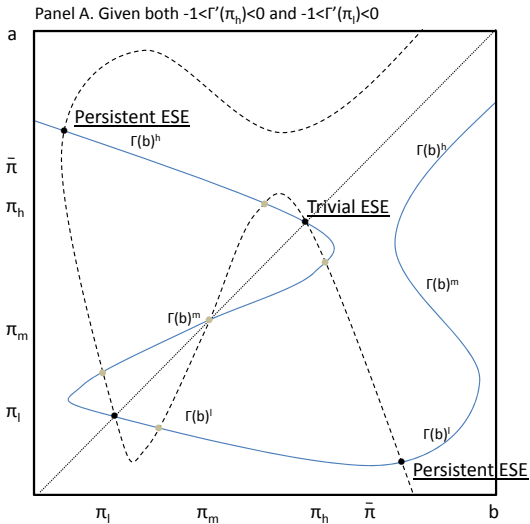


Panel B. Correspondence Curve $\Gamma(a)$



Existence of ESE

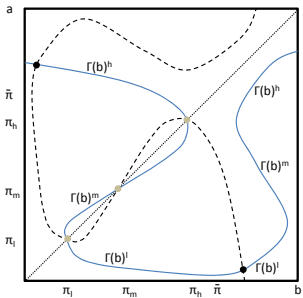
Existence of Endogenous Stereotyping Equilibria



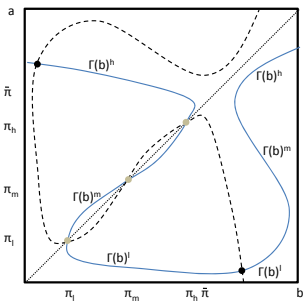
Existence of ESE

Existence of Endogenous Stereotyping Equilibria

Panel B. Given both $\Gamma'(\pi_h) < -1$ and $\Gamma'(\pi_l) < -1$



Panel C. Given both $\Gamma'(\pi_h) > 1$ and $\Gamma'(\pi_l) > 1$



Inequality between Endogenously Constructed Groups

- Inequality between endogenous groups in some ESE **can be greater than** inequality between exogenous groups in any PSE.

Theorem (Exacerbated Inequality)

Given multiple PSE $(\pi_l, \pi_m$ and $\pi_h)$, there always exist two "Persistent ESE", (π_H^, π_L^*) and (π_L^*, π_H^*) , which satisfy*

$$\pi_L^* < \pi_l < \pi_h < \pi_H^*.$$

Overlapping Generational Framework

- Consider an intergenerational population structure.

Overlapping Generational Framework

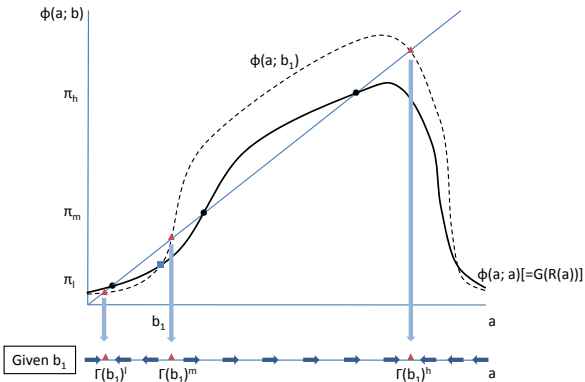
- Consider an intergenerational population structure.
- Every period, **the randomly chosen α fraction of the workers die** and the same number of agents are newly born.

Overlapping Generational Framework

- Consider an intergenerational population structure.
- Every period, **the randomly chosen α fraction of the workers die** and the same number of agents are newly born.
- Employers compare **the actual skill acquisition rate of the newborns** who adopt the affect j , $\phi(\pi_j; \pi_{-j})$, and **the believed overall skill rate π_j** of the workers belonging to identity group j in order to update the prior belief π_j :

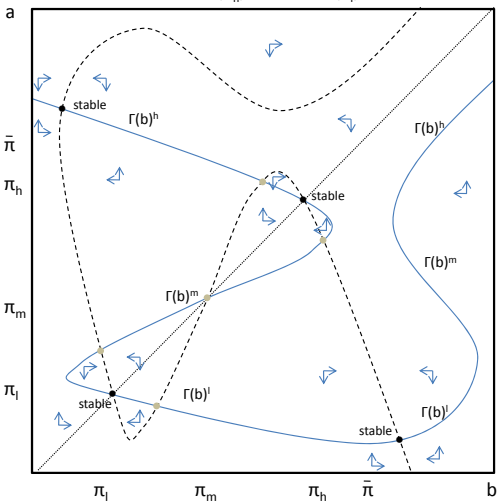
$$\dot{\pi}_j > (<) 0 \Leftrightarrow \phi(\pi_j; \pi_{-j}) > (<) \pi_j.$$

An Example: Direction Arrows \dot{a} given b_1



Stability of ESE with Multiple PSE

Panel A. Given both $-1 < \Gamma'(\pi_h) < 0$ and $-1 < \Gamma'(\pi_l) < 0$



Stability of ESE with Multiple PSE

Theorem (Stability of “Persistent” ESE)

Given multiple PSE $(\pi_l, \pi_m$ and $\pi_h)$, two “Persistent ESE”, (π_H^, π_L^*) and (π_L^*, π_H^*) , are stable and all other non-trivial ESE are unstable.*

Stability of ESE with Multiple PSE

Theorem (Stability of “Persistent” ESE)

Given multiple PSE (π_l , π_m and π_h), two “Persistent ESE”, (π_H^, π_L^*) and (π_L^*, π_H^*) , are stable and all other non-trivial ESE are unstable.*

- Equal state is not stable when the society has a critical fraction of members **whose identity choice cost is sufficiently low**:

Proposition (Convergence to “Persistent ESE”)

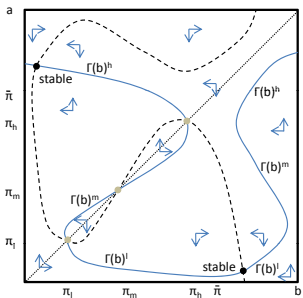
While “Persistent ESE”, (π_H^, π_L^*) and (π_L^*, π_H^*) , are always stable, all other ESE are unstable if and only if*

$$H'(0) > \frac{1-g(R(\hat{x}))R'(\hat{x})}{4R'(\hat{x})\hat{x}(1-\hat{x})}, \forall \hat{x} \in \{\pi_h, \pi_l\}.$$

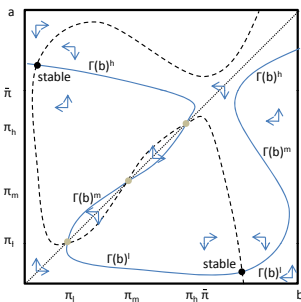
Instability of Equal ESE States given Sufficiently Large $H'(0)$

- Given sufficiently large $H'(0)$, **even with strong egalitarian government interventions**, the between-group difference will never be vanished:

Panel B. Given both $\Gamma'(\pi_h) < -1$ and $\Gamma'(\pi_l) < -1$



Panel C. Given both $\Gamma'(\pi_h) > 1$ and $\Gamma'(\pi_l) > 1$



Section 4. Applications to Passing and 'Partial Passing' Behaviors

Implications of the Stereotyping Model: “Passing”

- **“Passing”** can be explained explicitly in the diagrams: e.g. Korean descendants in Japan.

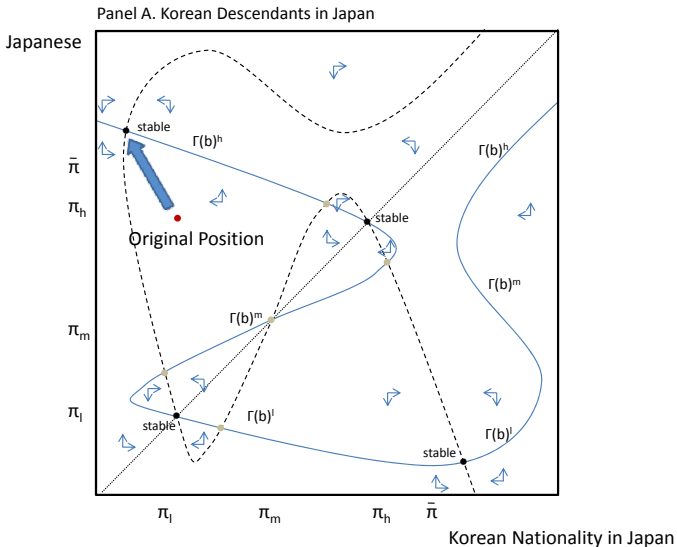
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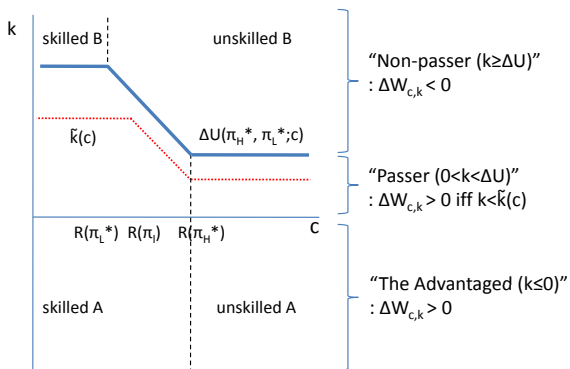
- **“Passing”** can be explained explicitly in the diagrams: e.g. Korean descendants in Japan.
- **The equal society would be harder to be achieved** because of the greater disparity between endogenously constructed social groups.
- When identity choice is easy enough (i.e., large $H'(0)$), **an equal society cannot be sustainable by nature**, implying that any egalitarian policies would not be successful in the long run.

Implications of the Stereotyping Model: “Passing”

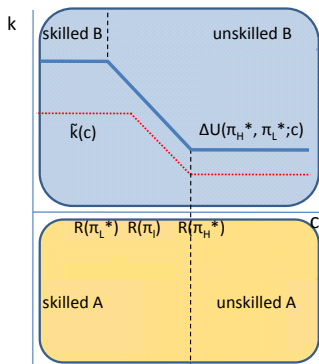


Passing Activities: Welfare Analysis

Who Lose and Who Win from Passing Activities: $\Delta W_{c,k}$?



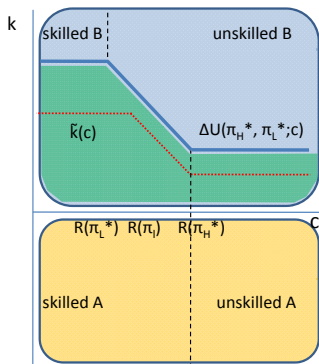
Reputational Externalities from Passing Activities



$\pi_l \Rightarrow \pi_L^*$: Negative Reputational Externality

$\pi_h \Rightarrow \pi_H^*$: Positive Reputational Externality

Passing Premium and Social Efficiency

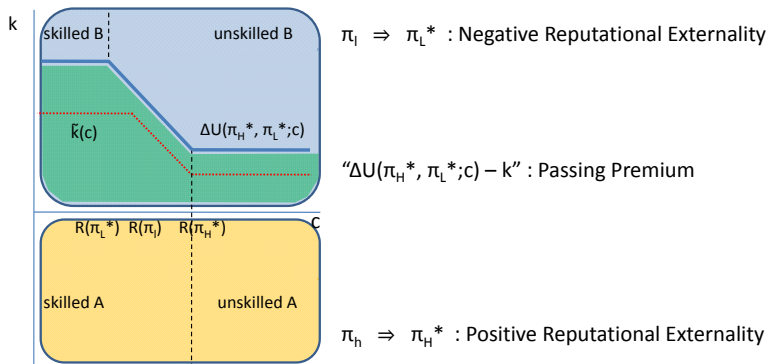


$\pi_l \Rightarrow \pi_l^*$: Negative Reputational Externality

" $\Delta U(\pi_H^*, \pi_L^*; c) - k$ " : Passing Premium

$\pi_h \Rightarrow \pi_h^*$: Positive Reputational Externality

Passing Premium and Social Efficiency



✳ Socially Efficient if and only if

“Passing Premium + Positive Reputational Externality
 > Negative Reputational Externality”

Passing Premium and Social Efficiency

- The passing premium $(\int_0^\infty \int_0^{\Delta U} [H(k) - 0.5] dk dG(c))$ is largely governed by $H'(0)$.

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- Accordingly, the positive efficiency gain is more likely to be achieved **when identity manipulation is easier to undertake**.
- Given $\pi_I \approx 0$, we have
“Passing Premium + Positive Reputational Externality > Negative Reputational Externality (≈ 0)”

Proposition

*The selective out-migration from a severely stigmatized group (i.e., $\pi_I \approx 0$) is **Pareto-improving** without hurting the welfare of the left-behind.*

Implications of the Stereotyping Model: “Partial Passing”

- The “partial passing” behaviors provide **an explanation for “acting white” conflict**: the adverse impact on the left-behind may generate the resentment against the “partial passers.”

Implications of the Stereotyping Model: “Partial Passing”

- The “partial passing” behaviors provide **an explanation for “acting white” conflict**: the adverse impact on the left-behind may generate the resentment against the “partial passers.”
- The given theory supports “partial passing” behaviors:

Proposition (Efficiency Improved with “partial passing”)

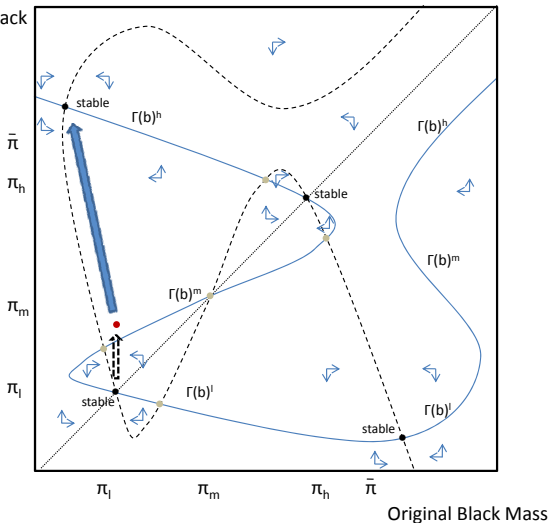
*When a minority population is in low skill investment trap (π_L, π_H) , the endogenous stereotyping **may help to improve the social efficiency** as the skill composition of the population aggregate can move from the worst “reputation trap” to a “Persistent ESE (π_L^*, π_H^*) ”.*

Partial Passing and “Acting White”

Implications of the Stereotyping Model: “Partial Passing”

Panel B. “Acting White” vs. Original Black

“Acting White” Black



Section 5. Conclusion

Concluding Remarks

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- Imply that the identity manipulation activities may **increase the total welfare of the society**, though generating a conflict such as “Acting White” accusation.
- The model has the potential to illuminate other **identity choice related issues**: code switching, naturalization, political identity, racial profiling, brand strategy etc.

Thank You for Paying Attention!